## CS W3134: Data Structures in Java

Lecture \#8: Sorts, stacks, queues
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## Agenda

- Sorting algorithms
- Basic stacks
- Basic queues


## (Comparison-based) Sorts

- Bubble (p. 85)
- Sort pairwise repeatedly
- Biggest placed each time
- Selection (p. 89)
- Search for smallest, swap with first
- Search for smallest, swap with second
- Insertion (p. 95)
- Take the next one, and put it into the existing sorted subset
- All $\mathrm{O}\left(\mathrm{n}^{2}\right)$
- But they're not the exact same performance
- Let's write out a little bit of psuedocode for each


## Sorts II

- Lexicographical comparisons? $\qquad$
- Stability of existing items?

■ Sidebar: Comparable interface

- All you have to do is implement boolean compare To (Object o)
- Generally a good thing to program to, I prefer to book's example
$\qquad$
■ Arrays.sort() $\qquad$
$\qquad$


## Stacks and Queues

- Useful programmer's tools, will encounter it in $\qquad$ many places
- Very easy and fast to implement
- Runs very fast as well
- "Restricted access": no index - only manipulate $\qquad$ one item at a time
- More abstract - the underlying implementation $\qquad$ is unimportant or not remotely similar to the structure, unlike lists


## Stacks

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- Basic operations: "LIFO" strategy $\qquad$
- Push
- Pop $\qquad$
- Peek
- Analogy: mail basket
- Not as rigorous as a real stack, of course $\qquad$
- Another analogy: life
- Conversations $\qquad$
- Workday
- Extraordinarily simple! $\qquad$
$\qquad$


## Array-based stacks

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- Limited size; ways to get around this $\qquad$
- Decoupled from array index!
- Very simple to implement
- Keep top variable, initialized to
$\qquad$
-1
$\qquad$
- Boundary conditions?
- Complexity bounds?
- Apart from simplicity, biggest reason to use
$\qquad$
$\qquad$
$\qquad$


## Basic Stack examples

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- Reverse a word $\qquad$
- Conversation
- Sentence with parentheses?
$\qquad$
- Delimiter matching: $\} 0$ $\qquad$
- Conceptually simple to use, less error-prone than array
- Function/method calls
$\qquad$
$\qquad$
$\qquad$


## Queues

- FIFO, instead of LIFO $\qquad$
- "Standing in line": print queue
- Insert: places at rear of queue
- Remove: takes from front
- Peek: looks at front
- Book's convention: front is at bottom, near beginning of array
- Problem: how to represent in array?
- We can't stick it at one end or the other, unless we slide all the elements around
- There's a better approach


## Circular queue

$\qquad$

- Don't move elements around, keep front and $\qquad$ back pointers
- Yes, back/front can wrap around: "broken
$\qquad$ sequence"
- Keep track of number of elements - i.e., full/empty
- Convention: initialize rear to -1 , front to 0


## Circular queue operations (I)

- Be very careful of keeping pointers consistent $\qquad$
- Pointers should not "cross" unless empty
- Insert
- If rear at last element (length- 1 ), reset to -1
- Increment rear, and then place the object in the new rear
- Increment \# of items
- Remove
- Grab element at front, and then increment it
- If front is off the end (== length), reset to 0
- Decrement \# of items


## Circular queue operations (II)

- Why - 1 ?
- Convention so that rear actually points to the newest-added element
- You can program with 0 if you're careful
- Efficiency of operations?


## Circular queue: miscellany

$\qquad$

- Having to keep count is a little extra work $\qquad$
- Book has sample code to deal with "no-count" implementation, but more complex $\qquad$
- Basic problem: how to tell queue empty vs. full
- Trick: if full, leave an empty space (i.e., make array one cell larger than maximum \# of items), and check for the empty space
- One apart => empty; two apart => full
- Two cases for each:
- If front is "ahead" of rear
- If front is "behind" rear


