Semantic Analysis

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[∗] Course website: [https://www.cs.columbia.edu/ rgu/courses/4115/spring2019](https://www.cs.columbia.edu/~rgu/courses/4115/spring2019)

∗∗ These slides are borrowed from Prof. Edwards.

Semantic Analysis

Lexical analysis: Each token is valid?

Syntactic analysis: Tokens appear in the correct order?

return $3 + "f";$ /* valid Java syntax */ for break $/$ invalid syntax $*/$

Semantic analysis: Names used correctly? Types consistent?

int $v = 42 + 13$; $\frac{1}{2}$ valid in Java (if v is new) $\frac{k}{4}$ return $3 + "f";$ /* invalid */ return $f + f(3);$ /* invalid */

What's Wrong With This?

 $a + f(b, c)$

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 $a + f(b, c)$

Is a dened? Is f dened? Are b and c defined? Is f a function of two arguments? Can you add whatever a is to whatever f returns? Does f accept whatever b and c are? Scope questions Type questions

Examples from Java:

Verify names are defined (scope) and are of the right type (type).

```
int i = 5;
int a = z; /* Error: cannot find symbol */
int b = i \, [3]; /* Error: array required, but int found */
```
Verify the type of each expression is consistent (type).

[Scope - What names are visible?](#page-6-0)

Scope: where/when a name is bound to an object

Useful for modularity: want to keep most things hidden

A name begins life where it is declared and ends at the end of its block.

"The scope of an identifier declared at the head of a block begins at the end of its declarator, and persists to the end of the block."

Nested scopes can hide earlier definitions, giving a hole.

"If an identifier is explicitly declared at the head of a block, including the block constituting a function, any declaration of the identifier outside the block is suspended until the end of the block."

Basic Static Scope in O'Caml

A name is bound after the "in" clause of a "let." If the name is re-bound, the binding takes effect *after* the "in."

The "rec" keyword makes a name visible to its definition. This only makes sense for functions.

Static vs. Dynamic Scope

C

```
int a = 0;
int foo () {
  return a;
}
int bar() {
  int a = 10;
  return \text{foo}();}
```
OCaml

 $let a = 10 in$

 $let a = 0 in$ let foo $x = a$ in

 $let bar =$

foo 0

Bash

Most modern languages use static scoping. Easier to understand, harder to break programs. Advantage of dynamic scoping: ability to change environment. A way to surreptitiously pass additional parameters.

- A symbol table is a data structure that tracks the current bindings of identifier
- Scopes are nested: keep tracks of the current/open/closed scopes.
- Implementation: one symbol table for each scope.

```
int x;
int main () \{int a = 1;
  int b = 1; \{float b = 2;
    for (int i = 0; i < b; i++) {
      int b = i;
       . . .
    }
  }
 b + x;}
```
Implementing C-style scope (during walk over AST):

• Reach a declaration: Add entry to current table

```
int x;
int main () {
  int a = 1;
  int b = 1; {
    float b = 2;
    for (int i = 0; i < b; i++) {
      int b = i;. . .
    }
  }
 b + x;}
```


- Reach a declaration: Add entry to current table
- Enter a "block": New symbol table; point to previous

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int x;
int main () {
  int a = 1;
  int b = 1; {
    float b = 2;
    for (int i = 0; i < b; i++) {
      int b = i;. . .
    }
  }
  b + x:
}
```


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        int b = i;. . .
      }
   }
  b + x:
}
                                                          x \mapsto \text{int}a \mapsto \textbf{int}, b \mapsto \textbf{int}
```
- Reach a declaration: Add entry to current table
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```
int x;
int main () {
   int a = 1;
   int b = 1; {
      float b = 2;
      for (int i = 0; i < b; i++) {
         int b = i;. . .
      }
   }
   b + x:
}
                                                              x \mapsto \text{int}a \mapsto \textbf{int}, b \mapsto \textbf{int}b \mapsto \textbf{float}
```
- Reach a declaration: Add entry to current table
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- Reach an identifier: lookup in chain of tables

- Reach a declaration: Add entry to current table
- Enter a "block": New symbol table; point to previous
- Reach an identifier: lookup in chain of tables
- Leave a block: Local symbol table disappears

[Types - What operations are](#page-23-0) [allowed?](#page-23-0)

A restriction on the possible interpretations of a segment of memory or other program construct.

Two uses:

Safety: avoids data being treated as something it isn't

Optimization: eliminates certain runtime decisions

Certain operations are legal for certain types.

int $a = 1, b = 2;$ $return a + b;$

int $a[10]$, $b[10]$; $return a + b;$

C was designed for efficiency: basic types are whatever is most efficient for the target processor.

On an (32-bit) ARM processor,

char c; $/* 8-bit binary */$ short d; $/* 16-bit two's-complement binary */$ unsigned short d; $/*$ 16-bit binary $*/$ int a; $/* 32-bit two's-complement binary */$ unsigned int b; $\frac{1}{2}$ + 32-bit binary $\frac{*}{2}$ float f; $/*$ 32-bit IEEE 754 floating-point $*/$ double g; $\frac{1}{8}$ 64-bit IEEE 754 floating - point $\frac{k}{4}$ $1e20 + 1e-20 = 1e20$

 $1e-20 \ll 1e20$

 $(1 + 9e-7) + 9e-7 \neq 1 + (9e-7 + 9e-7)$

 $9e-7 \ll 1$, so it is discarded, however, 1.8e-6 is large enough

 $1.00001(1.000001 - 1) \neq 1.00001 \cdot 1.000001 - 1.00001 \cdot 1$ $1.00001 \cdot 1.000001 = 1.00001100001$ requires too much intermediate precision.

Floating-point numbers are represented using an exponent/significand format:

$$
S = -1^S \times (1.0 + 0. M) \times 2^{E - bias}
$$

= -1.011₂ × 2¹²⁹⁻¹²⁷ = -1.375 × 4 = -5.5.

What to remember:

Results are often rounded:

When $b \approx -c$, $b + c$ is small, so $ab + ac \neq a(b + c)$ because precision is lost when ab is calculated.

Moral: Be aware of floating-point number properties when writing complex expressions.

[Type Systems](#page-30-0)

- A language's type system specifies which operations are valid for which types.
- The goal of type checking is to ensure that operations are used with the correct types.
- Three kinds of languages
	- Statically typed: All or almost all checking of types is done as part of compilation (C, Java)
	- Dynamically typed: Almost all checking of types is done as part of program execution (Python)
	- Untyped: No type checking (machine code)

Statically-typed: compiler can determine types. Dynamically-typed: types determined at run time. Is Java statically-typed?

```
class Foo {
   public void x() \{ ... \}}
class Bar extends Foo {
   public void x() \{ \ldots \}}
void baz(Foo f) {
  f \cdot x():
}
```
Strongly-typed: no run-time type clashes (detected or not). C is definitely not strongly-typed:

```
float g;
union \{ float f; int i \} u;
u \cdot i = 3;
g = u.f + 3.14159; /* u.f is meaningless */
```
Is Java strongly-typed?

- Type Checking is the process of verifying fully typed programs.
- Type Inference is the process of filling in missing type information.
- Inference Rules: formalism for type checking and inference.

Inference rules have the form If Hypotheses are true, then Conclusion is true

> \vdash Hypothesis₁ \vdash Hypothesis₂ \vdash Conclusion

Typing rules for int:

` NUMBER : **int**

 \vdash expr $_1:$ \textbf{int} \qquad \vdash expr $_2:$ \textbf{int} \vdash expr $_1$ OPERATOR expr $_2:~$ int

Type checking computes via reasoning

How To Check Expressions: Depth-first AST Walk

check: node \rightarrow typedNode

$$
\begin{array}{c|c}\n1 & -5 \\
\hline\n1 & 5\n\end{array}
$$

$$
check(-)
$$

check(1) = 1: int
check(5) = 5: int
int – int = int
= 1 – 5: int

check(+) $check(1) = 1$: int check("Hello") = "Hello" : string FAIL: Can't add int and string

What is the type of a variable reference?

 x is a symbol $\overline{+ x :}$?

The local, structural rule does not carry enough information to give x a type.

Put more information in the rules!

A type environment gives types for free variables .

 \mathcal{E} \vdash NUMBER : **int**

$$
\frac{\mathcal{E}(x) = \mathbf{T}}{\mathcal{E} \vdash x : \mathbf{T}}
$$

 $\mathcal{E} \vdash \mathsf{expr}_1 : \mathsf{int} \qquad \mathcal{E} \vdash \mathsf{expr}_2 : \mathsf{int}$ $\mathcal{E} \vdash \mathsf{expr}_1$ OPERATOR $\mathsf{expr}_2 : \; \mathsf{int}$

How To Check Symbols

check: environment \rightarrow node \rightarrow typedNode


```
check(+, E)
   check(1, E) = 1: int
   check(a, E) = a : E. lookup(a) = a : intint + int = int= 1 + a : int
```
The environment provides a "symbol table" that holds information about each in-scope symbol. 30

Need an OCaml type to represent the type of something in your language.

For MicroC, it's simple (from ast.ml):

type typ $=$ Int | Bool | Float | Void

For a language with integer, structures, arrays, and exceptions:

```
type ty = (* can't call it "type" since that's reserved *)
   Void
   | I n t
   Array of ty * int (* type, size *Exception of string
   Struct of string * ((string * ty) array) (* name, fields
```
Implementing a Symbol Table and Lookup

```
module StringMap = Map.Make(Suring)type symbol table = {
  (* Variables bound in current block *)variables : ty StringMap.t
  (* Enclosing scope *)parent : symbol table option;
}
```
let rec find variable (scope : symbol table) name $=$ t r y (* Try to find binding in nearest block *) $StringMap$. find name $scope$. variables with Not found \rightarrow (* Try looking in outer blocks *) match scope parent with Some (parent) \rightarrow find variable parent name $| \rightarrow$ raise Not found

check: ast \rightarrow sast

Converts a raw AST to a "semantically checked AST"

Names and types resolved

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[The Midterm](#page-43-0)

75 minutes Closed book One double-sided sheet of notes of your own devising Anything discussed in class is fair game Little, if any, programming Details of OCaml/C/C++/Java syntax not required